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Common Core State Standards for Mathematics	Unit 1	Math Practices	Unit 2	Math Practices	Unit 3	Math Practices	Unit 4	Math Practices	Unit 5	Math Practices	Unit 6	Math Practices	Unit 7	Math Practices	Unit 8	Math Practic
HIGH SCHOOL NUMBER & QUANTITY		114444	52									1100000				
The Real Number System																
Extend the properties of exponents to rational exponents. 1. Explain how the definition of the meaning of rational exponents follows																
from extending the properties of integer exponents to those values, allowing for																
a notation for radicals in terms of rational exponents. For example, we define $5^{-1/3}$ to be the cube root of 5 because we want $(5^{-1/3})^3 = 5^{(1/3)\beta}$ to hold, so																
$(5^{1/3})^3$ must equal 5.																
Rewrite expressions involving radicals and rational exponents using the properties of exponents.																
Use properties of rational and irrational numbers.								1		1						
. Explain why the sum or product of two rational numbers is rational; that the um of a rational number and an irrational number is irrational; and that the																
product of a nonzero rational number and an irrational number is irrational.																
Quantities	_										_				_	
Reason quantitatively and use units to solve problems. Use units as a way to understand problems and to guide the solution of multi-																
step problems; choose and interpret units consistently in formulas; choose and interpret the scale and the origin in graphs and data displays.																
Define appropriate quantities for the purpose of descriptive modeling.																
 Choose a level of accuracy appropriate to limitations on measurement when reporting quantities. 																
The Complex Number System																
Perform arithmetic operations with complex numbers.																
1. Know there is a complex number i such that $i^2 = -1$, and every complex number has the form $a + bi$ with a and b real.																
2. Use the relation $i^2 = -1$ and the commutative, associative, and distributive																
properties to add, subtract, and multiply complex numbers.																
3. (+) Find the conjugate of a complex number; use conjugates to find moduli																
and quotients of complex numbers. Represent complex numbers and their operations on the complex plane.						+		+		+		+ +				
4. (+) Represent complex numbers on the complex plane in rectangular and																
polar form (including real and imaginary numbers), and explain why the																
rectangular and polar forms of a given complex number represent the same number.																
 (+) Represent addition, subtraction, multiplication, and conjugation of complex numbers geometrically on the complex plane; use properties of this 																
representation for computation. For example, $(-1 + \sqrt{3} i)^3 = 8$ because $(-1 + \sqrt{3} i)^3 = 8$																
$\sqrt{3}$ i) has modulus 2 and argument 120° 6. (+) Calculate the distance between numbers in the complex plane as the																
modulus of the difference, and the midpoint of a segment as the average of the numbers at its endpoints.																
Use complex numbers in polynomial identities and equations. 7. Solve quadratic equations with real coefficients that have complex solutions.																
8. (+) Extend polynomial identities to the complex numbers. For example,																
rewrite $x^2 + 4$ as $(x + 2i)(x - 2i)$. 9. (+) Know the Fundamental Theorem of Algebra; show that it is true for																
 (+) Know the Fundamental Theorem of Algebra; show that it is true for quadratic polynomials. 																
Vector and Matrix Quantities																
Represent and model with vector quantities.																
(+) Recognize vector quantities as having both magnitude and direction. Represent vector quantities by directed line segments, and use appropriate																
symbols for vectors and their magnitudes (e.g., ν , $ \nu $, $ \nu $, $ \nu $).																
2. (+) Find the components of a vector by subtracting the coordinates of an																
initial point from the coordinates of a terminal point. 3. (+) Solve problems involving velocity and other quantities that can be																
represented by vectors. Perform operations on Vectors			-					+ +		1		1				
4. (+) Add and subtract vectors.																
 Add vectors end-to-end, component-wise, and by the parallelogram rule. Understand that the magnitude 																
of a sum of two vectors is typically not the sum of the																
 Given two vectors in magnitude and direction form, determine the magnitude and direction of their 																
c. Understand vector subtraction $v - w$ as $v + (-w)$,																
where $-w$ is the additive inverse of w , with the same magnitude as w and pointing in the opposite direction.																
Represent vector subtraction graphically by connecting the tips in the appropriate order, and perform vector																
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5. (+) Multiply a vector by a scalar. a. Represent scalar multiplication graphically by scaling vectors and possibly reversing their direction; perform scalar multiplication component-wise, e.g., as c (v, , v,) = (cv, , cv,). b. Compute the magnitude of a scalar multiple c v using cv = e v Compute the direction of c v is knowing that when c v ≠ 0, the direction of c v is either along v (for c > 0) or against v (for c < 0).																
Perform operations on matrices and use matrices in applications. 6. (+) Use matrices to represent and manipulate data, e.g., to represent payoffs or incidence relationships in a network. 7. (+) Multiply matrices by scalars to produce new matrices, e.g., as when all of the pavoffs in a game are doubted. 8. (+) Add, subtract, and multiply matrices of appropriate dimensions. 9. (+) Understand that, unlike multiplectation of numbers, matrix multiplication for square matrices is not a commutative operation, but still satisfies the associative and distributive proceedies. 10. (+) Understand that the zero and identity matrices play a role in matrix addition and multiplications influst to the role of 00 and 1 in the real numbers. The determinant of a square matrix is nonzero if and only if the matrix has a multiplicative investigation. 11. (+) Multiply a vector (regarded as a matrix with one column by a matrix of suitable dimensions to produce another vector. Work with matrices as transformations of vectors. 12. (+) Work with 2 × 2 matrices as a transformations of the plane, and interpret the absolute value of the determinant in terms of area.																
ALGEBRA Seeing Structure in Expressions	Unit 1		Unit 2		Unit 3		Unit 4		Unit 4		Unit 4		Unit 4		Unit 4	
Interpret the structure of expressions. 1. Interpret expression shart represent a quantity in terms of its context.* a. Interpret parts of an expression, such as terms, factors, and coefficients. b. Interpret complicated expressions, such as terms, factors, and coefficients. b. Interpret complicated expressions by viewing one or more of their parts as a single entity. For example, interpret P(1+r)* as the product of P and a factor not depending on P. 2. Use the structure on acquession to identify ways to rewrite it. For example, see x* - y* as (x*)* -)* of y* 1,* thus recogniting it as a difference of sources that can be factored as (x* - x* y* x* x* y* x* x* y*). Write expressions in equivalent forms to solve problems. 3. Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity represented by the expression to reveal the factor a quadratic expression to reveal the maximum or minimum value of the function c. Use the properties of exponents to transform expressions for exponential functions. For example the expression 1.15* can be rewritten as (1.154 str) y* 20 = 1.012* to reveal the approximate the expression of a finite geometric extractive the formula for the sum of a finite geometric extractive the common ratio is not 1), and use the formula to solve problems. For example, calculate mortage paryments. Arithmetic with Polynomials & Rational Expressions																
Perform arithmetic operations on polynomials. 1. Understand that polynomials form a system analogous to the integers, namely, they are closed under the operations of addition, subtraction, and multiplication; add, subtract, and multiplication; add, subtract, and multiplication;																
Understand the relationship between zeros and factors of polynomials. 2. Know and apply the Remainder Theorem: For a polynomial $p(x)$ and a number a , the remainder on division by $x - a$ is $p(a)$, so $p(a) = 0$ if and only if $(x - a)$ is a factor of $a(x)$. 3. Identify zeros of polynomials when suitable factorizations are available, and use the zeros to construct a rough graph of the function defined by the polynomial.																
Use polynomial identities to solve problems. 4. Prove polynomial identities and use them to describe numerical relationships. For example, the polynomial identity $(x^2 + y^2)^2 = (x^2 - y^2)^2 + (2xy)^2$ can be used to enternate Problemoran tribles. 5. (+) Know and apply the Binomial Theorem for the expansion of $(x + y)^n$ in powers of x and y for a positive integer n , where x and y are any numbers, with coefficients determined for example by Pascal's Triangle.																
Rewrite rational expressions. 6. Rewrite simple rational expressions in different forms; write $^{(i)}_{h_{D_1}}$ in the form $q(x) + ^{(i)}_{h_{D_2}}$, where $a(x)$, $h(x)$, $q(x)$, and $r(x)$ are polynomials with the degree of $r(x)$ lies than the degree of $r(x)$ lies than the degree of $r(x)$ lies in the proposed of $r(x)$, the proposed of $r(x)$ is the more complicated examples, a computer algebra system. 7. (+) Understand that rational expressions form a system analogous to the rational numbers; closed under addition, subtraction, multiplication, and division by a nonzero rational expression; add, subtract, multiply, and divide rational expressions.																



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Creating Equations											Ì					
Create equations that describe numbers or relationships. 1. Create equations and inequalities in one variable and use them to solve problems. Include equations arising from timear and quadratic functions, and similer tainfound and extonemental functions. 2. Create equations in two or more variables to represent relationships between quantities: graph equations on coordinate axes with labels and scales. 3. Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and interpret solutions as viable or nonviable options in a modeling context. For example, represent inequalities describing nutritional and cost constraints on combinations of different foods. 4. Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations. For example, rearrange Ohm's law V = IR to highlight resistance R.																
Reasoning with Equations & Inequalities																
Understand solving equations as a process of reasoning and explain the reasoning. 1. Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the assumption that the original equation has a solution. Construct a viable argument to justify a solution method. 2. Solve simple rational and radical equations in one variable, and give examples showing how extraneous solutions may arise.																
Solve equations and inequalities in one variable. 3. Solve linear equations and inequalities in one variable, including equations with coefficients represented by letters.																



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Common Core State Standards for Mathematics	Unit 1	Math Practices	Unit 2	Math Practices	Unit 3	Math Practices	Unit 4	Math Practices	Unit 5	Math Practices	Unit 6	Math Practices	Unit 7	Math Practices	5 Unit 8	Math Practices
4. Solve quadratic equations in one variable. a. Use the method of completing the square to transform any quadratic equation in x into an equation of the form (x - p) ² = q that has the same solutions. Derive the quadratic formula from this form. b. Solve quadratic equations by imspection (e.g., for x ² = 49), taking square roots, completing the square, the quadratic formula and factoring, as appropriate to the initial form of the equation. Recognize when the quadratic formula gives complex solutions and write them as a ± bi for real numbers a and b.																
Solve systems of equations. 5. Prove that, given a system of two equations in two variables, replacing one equation by the sum of that equation and a multiple of the other produces a system with the same solutions. 6. Solve systems of linear equations exactly and approximately (e.g., with erapshs), focusing on pairs of linear equations in two variables. 7. Solve a simple system consisting of a linear equation and a quadratic equation in two variables algebraically and graphically, For example, find the points of intersection between the line $y = -3x$ and the circle $x^2 + y^2 = 3$. 8. (+) Represent a system of linear equations as a single matrix equation in a vector variable. 9. (+) Find the inverse of a matrix if it exists and use it to solve systems of linear equations (using technology for matrices of dimension 3×3 or greater).																
Represent and solve equations and inequalities graphically. 10. Understand that the graph of an equation in two variables is the set of all its solutions plotted in the coordinate plane, often forming a curve (which could be a line). 11. Explain why the x -coordinates of the points where the graphs of the equations $y \in V(x)$ and $y = g(x)$ interect are the solutions of the equation $y(x) = g(x)$; find the solutions approximately, g_{xy} using technology to graph the functions, make tables of wheles, or find successive approximations. Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and logarithmic functions. 12. Graph the solutions to a linear inequality in two variables as a half-plane (excluding the boundary in the case of a strict inequality), and graph the																



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Mathematics	Unit 1	Practices	Unit 2	Practices	Unit 3	Practices	Unit 4	Practices	Unit 5	Practices	Unit 6	Practices	Unit 7	Practices	Unit 8	Practices
FUNCTIONS	Unit 1		Unit 2		Unit 3		Unit 4									
Interpreting Functions																
Understand the concept of a function and use function notation. 1. Understand that a function from one set (called the domain) to another set																
(called the range) assigns to each element of the domain exactly one element of																
the range. If f is a function and x is an element of its domain, then $f(x)$ denotes the output of f corresponding to the input x . The graph of f is the graph of the																
equation $v = f(x)$. 2. Use function notation, evaluate functions for inputs in their domains, and																
interpret statements that use function notation in terms of a context.																
Recognize that sequences are functions, sometimes defined recursively,																
whose domain is a subset of the integers. For example, the Fibonacci sequence is defined recursively by $f(0) = f(1) = 1$, $f(n+1) = f(n) + f(n-1)$ for																
n > 1.																
Interpret functions that arise in applications in terms of the context.																
 For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs 																
showing key features given a verbal description of the relationship. Key																
features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums;																
symmetries; end behavior; and periodicity .**																
5. Relate the domain of a function to its graph and, where applicable, to the																
quantitative relationship it describes. For example, if the function h(n) gives the number of person-hours it takes to assemble n engines in a factory, then																
the positive integers would be an appropriate domain for the function. *																1
6. Calculate and interpret the average rate of change of a function (presented																1
symbolically or as a table) over a specified interval. Estimate the rate of change from a graph.*																1
						1										
Analyze functions using different representations. 7. Graph functions expressed symbolically and show key features of the graph,																
by hand in simple cases and using technology for more complicated cases.*																
a. Graph linear and quadratic functions and show																
intercepts. maxima. and minima. b. Graph square root, cube root, and piecewise-																
defined functions, including step functions and absolute value functions.																
c. Graph polynomial functions, identifying zeros																
when suitable factorizations are available, and showing end behavior.																
d. (+) Graph rational functions, identifying zeros and asymptotes when suitable factorizations are																
available, and showing end behavior. e. Graph exponential and logarithmic functions,																
showing intercepts and end behavior, and																
trigonometric functions, showing period, midline, and 8. Write a function defined by an expression in different but equivalent forms																
to reveal and explain different properties of the function.																
Use the process of factoring and completing the																
square in a quadratic function to show zeros, extreme values, and symmetry of the graph, and interpret these																
in terms of a context. b. Use the properties of exponents to interpret																
expressions for exponential functions. For example,																
identify percent rate of change in functions such as $y = (1.02)t$, $y = (0.97)t$, $y = (1.01)12t$, $y = (1.2)t/10$, and																
classify them as representing exponential growth or 9. Compare properties of two functions each represented in a different way																
(algebraically, graphically, numerically in tables, or by verbal descriptions). For example, given a graph of one quadratic function and an algebraic																
expression for another, say which has the larger maximum.																
Building Functions Build a function that models a relationship between two quantities.																
 Write a function that describes a relationship between two quantities.★ 																1
Determine an explicit expression, a recursive																1
process, or steps for calculation from a context. b. Combine standard function types using arithmetic																1
operations. For example, build a function that																1
models the temperature of a cooling body by adding a constant function to a decaying exponential, and																
relate these functions to the model. c. (+) Compose functions. For example, if T(y) is																
the temperature in the atmosphere as a function of																
height, and $h(t)$ is the height of a weather balloon as a function of time, then $T(h(t))$ is the temperature at																
the location of the weather balloon as a function of 2. Write arithmetic and geometric sequences both recursively and with an																
explicit formula, use them to model situations, and translate between the two																1
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Build new functions from existing functions. 3. Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, k $f(x)$, $f(kx)$,																
and $f(x + k)$ for specific values of k (both positive and negative); find the																1
value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology. Include recognizing																
even and odd functions from their graphs and algebraic expressions for them.																
Find inverse functions.																ļ



Common Core State Standards for Mathematics	Unit 1	Math Practices	Unit 2	Math Practices	Unit 3	Math Practices	Unit 4	Math Practices	Unit 5	Math Practices	Unit 6	Math Practices	Unit 7	Math Practices	Unit 8	Math Practices
a. Solve an equation of the form f(x) = c for a simple function of that has an inverse and write an expression for the invene. For example, f(x) = 2 x ³ or f(x) = (r+1)(r-1) for x \frac{1}{2}. \text{ b. } (-) Verify by composition that one function is the inverse of another. c. (-) Read values of an inverse function from a graph or as table, given that the function has an inverse. d. (-) Produce an invertible function from a non-invertible function from a non-invertible function where the formation invertible function and another inverse relationship between exponents and logarithms and exponents.	O.M. 2	Tructices	S.M.C.	Tractices .	- Cinco	ractices	Silk 4	Tractices	o	racaces	S.II.C	ractices	S.IIC	riduces	oc	ridences
Linear, Quadratic, & Exponential Models																
Construct and compare linear, quadratic, and exponential models and solve problems. 1. Destinguish between situations that can be modeled with linear functions and with exponential functions. a. Prove that linear functions grow by equal differences over equal intervals, and that exponential functions row be causal factors over equal intervals. b. Recognize situations in which one quantity changes at a constant rate per unit interval relative to c. Recognize situations in which a quantity grows or decays by a constant prevent rate per unit interval relative to another. 2. Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two imput-output pairs, functione from a table).																
3. Observe using graphs and tables that a quantity increasing exponentially eventually exceeds a quantity increasing linearly, quadratically, or (more generally) as a polynomial function. 4. For exponential models, express as a logarithm the solution to ab " = d where a c, c, and are numbers and the base b is 2, 10, or c; evaluate the																
logarithm using technology. Interpret expressions for functions in terms of the situation they model.				+						+ +						
5. Interpret the parameters in a linear or exponential function in terms of a context.																
Trigonometric Functions																
Extend the domain of trigonometric functions using the unit circle. 1, Understand ration measure of an angle as the length of the arc on the unit circle subtended by the anole. 2. Explain how the unit circle in the coordinate plane enables the extension of trigonometric functions to all real numbers, interpreted as radian measures of angles traversed counterclock wise around the unit circle. 3, (+) Use special triangles to determine geometrically the values of sine, cosine, tangent for $\pi/3$, $\pi/4$ and $\pi/6$, and use the unit circle to express the values of sine, cosine, and tangent for $\pi/4$, $\pi/4$ and $\pi/6$, and use the unit circle to express the values of sine, cosine, and tangent for $\pi/4$, $\pi/4$ and $\pi/6$, and use the unit circle to express the values of sine, cosine, and tangent for $\pi/4$, $\pi/4$ and $\pi/6$, and use the unit circle to express the values for x , where x is any real number. 4. (+) Use the unit circle to express the values of respectively the values of the value values of the value value values of the values of the value value values of the v																
Model periodic phenomena with trigonometric functions. 5. Choose trigonometric functions to model periodic phenomena with specified amplitude, frequency, and midline. 6. (-) Understand that restricting a trigonometric function to a domain on which the contraction of the context. Prove and apply trigonometric identifies.																
 Prove the Pythagerean identity sin²(θ) + cor²(θ) = 1 and use it to find sin(θ), cos(θ), or tan(θ) given sin(θ), cos(θ), or tan(θ) and the quadrant of the angle. (+) Prove the addition and subtraction formulas for sine, cosine, and tangent and use them to solve problems. 																



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Common Core State Standards for	Unit 1	Math	Unit 2	Math	Unit 2	Math Practices	Linit 4	Math	Heit E	Math	Unit 6	Math	Unit 7	Math	Linit 0	Math
Mathematics	Unit 1	Practices	Unit 2	Practices	Unit 3	Practices	Unit 4	Practices	Unit 5	Practices	Unit 6	Practices	Unit 7	Practices	Unit 8	Practices
	Unit 1		Unit 2		Unit 3		Unit 4		Unit 4		Unit 4		Unit 4		Unit 4	
A model can be very simple, such as writing total cost as a product of unit price and number bought, or using a geometric shape to describe a physical object like a coin. Even such sainly adapte to describe a physical object like a coin. Even such simple models involve making choices. It is up to us whether to model a coin as a three-dimensional sylinder, or whether a two-dimensional disk works well enough for our purpose. Other situations—modeling a delivery route, a production schedule, or a comparison of loan amortizations—need more claborate models that use other tools from the mathematical science. Real-world situations are not organized and labeled for analysis, formulating tractable models, representing such models, and analysing them is appropriately a creative process. Like every such process, this depeads on acquired expertise as well as creativity. In situations like these, the models devised depend on a number of factors: How precise an answer do we want or need? What aspects of the situation do we most need to understand, control, or optimize? What resources of time and tools do we have? The range of models that we can create and analyze is also constrained by the limitations of our mathematical, statistical, and technical skills, and our ability to recognize significant variables and relationships among them. Diagrams of various kinds, spreadsheets and other technology, and algebra are powerful tools for understanding and solving problems drawn from different types of real-world situations. One of the insights provided by mathematical modeling is that essentially the same mathematical of statistical structure can sometimes model seemingly different situations. Models can also seed light on the mathematical structures themselves, for example, as when a model of bacterial growth makes more vivid the explosive growth of the exponential function. The basic modeling cycle involves: I identifying variables in the situation and selecting	Unit 1		Unit 2		Unit 3		Unit 4		Unit 4		Unit 4		Unit 4		Unit 4	
those that represent essential features 2. formulating a model by craining and selecting geometric, graphical, abular, algebraic, or statistical representations that describe relationshine between the 3. analyzing and performing operations on these relationshines to draw conclusions. 4. interpreting the results of the mathematics in terms of the orizinal situation. 5. validating the conclusions by comparing them with the situation, and then either improving the model or, if it is accortable 6. reporting on the conclusions and the reasoning behind them. Choices, assumptions, and approximations are present throughout this cycle. In descriptive modeling, a model simply describes the phenomena or summarizes them in a compact form. Graphs of observations are a familiar descriptive model—for example, graphs of global temperature and atmospheric CO2 over time. Analytic modeling seeks to explain data on the basis of deeper theoretical ideas, afbeit with parameters that are empirically based, for example, exponential growth of bacterial colonies cuntil cut-off mechanisms such as pollution or starvation intervene) follows from a constant reproduction rate. Functions are an important tool for analyzing such problems. Graphing utilities, spreadsheets, computer algebra systems, and dynamic geometry software are powerful tools that can be used to model purely mathematical phenomena (e.g., the behavior of polynomials) as well as physical phenomena.																
GEOMETRY Congruence	Unit 1		Unit 2		Unit 3		Unit 4		Unit 4		Unit 4		Unit 4		Unit 4	
Experiment with transformations in the plane 1. Know precise definitions of apic, circle, persenticular line, parallel line, and line segment, based on the undefined notions of point, line, distance along a line, and distance around a circular arc. 2. Represent transformations in the plane using, e.g., transparencies and geometry software; describe transformations as functions that take points in the plane as inputs and give other points as outputs. Compare transformations that preserve distance and angle to those that do not (e.g., translation versus horizontal stretch, parallel logram, trapezoid, or regular polygon, describe the rotations and reflections that carry it onto itself. 4. Develop definitions of rotations, reflections, and translations in terms of angles, circles, perpendicular lines, parallel lines, and line segments. 5. Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure using, e.g., graph paper, transing paper, or geometry software. Specify a sequence of transformation that util carry a given figure units another. Understand congruence in terms of rigid motions																
6. Use geometric descriptions of rigid motions to transform figures and to predict the effect of a given rigid motion on a given figure given two figures, use the definition of congruence in terms of rigid motions to decide if they are construent. 7. Use the definition of congruence in terms of rigid motions to show that two triangles are congruent if and only if corresponding pairs of sides and corresponding the pairs of sides and corresponding pairs of sides and corresponding pairs of sides and construent.																



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Explain how the criteria for triangle congruence (ASA, SAS, and SSS) sollow from the definition of congruence in terms of rigid motions.																
Prove geometric theorems Prove theorems about lines and angles. Theorems include: vertical angles Prove theorems about lines and angles. Theorems include: vertical angles angles are congruent; when a transiversal crosses parallel lines, alternate interior angles are congruent; and corresponding angles are congruent; points on a perpendicular beact or of a line segment are exactly hose equidistant from 10. Prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to 180°; have angles of juscales triangles are congruent; the segment joining midpoints of two sides of a triangle is parallel to the third side and half the length; the medians of a triangle meet at a noint. 1. Prove theorems about parallelograms. Theorems include: opposite sides are congruent, opposite angles are congruent, the diagonals of a parallelogram biset each other, and conversely, rectangles are barallelograms with conversent diaeonals.																
Make geometric constructions 12. Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point not on the line. 13. Construct an equilateral triangle, a square, and a regular hexagon inscribed in a circle.																



		Unit 1		Unit 2		Unit 3			Unit 5		Unit 6		Unit 7		Unit 8	
	Understand similarity in terms of similarity transformations															
	scale factor:															
	center of the dilation to a parallel line, and leaves a															
	 The dilation of a line segment is longer or shorter 															
The second control of																
The control of the co	transformations to decide if they are similar; explain using similarity															
The company of the co	corresponding pairs of angles and the proportionality of all corresponding pairs															
	3. Use the properties of similarity transformations to establish the AA criterion															
The common is a many control of the common is a many control o																
And the second control of the second control																
And an an an annual and annual and an annual and annual and an annual and annual and annual and annual and annual and annual ann	side of a triangle divides the other two proportionally, and conversely; the															
Later and any fine production of the control of the	 Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures. 															
Later and any fine production of the control of the	Define trigonometric ratios and solve problems involving right triangles						+		-	+ +						
	 Understand that by similarity, side ratios in right triangles are properties of 															
The control of the co	the angles in the triangle, leading to definitions of trigonometric ratios for acute															
The desiration of the control of the	anges. 2012 Explain and use the relationship between the sine and cosine of															
Microsoft Security of Conference of the Conferen	8. Use trigonometric ratios and the Pythagorean Theorem to solve right															
Additional formation and an accompany of the company of the compan																
The control of the first of the control of the cont	Apply trigonometry to general triangles 9. (+) Derive the formula $A = 1/2$ ab $sin(C)$ for the area of a triangle by															
Company of the found for an off the foundation of the foundation	drawing an auxiliary line from a vertex perpendicular to the opposite side.															
And the content of th	10. (+) Prove the Laws of Sines and Cosines and use them to solve problems.															
The material materials and the control of the contr	11. (+) Understand and apply the Law of Sines and the Law of Cosines to find															
Activated and experimental grain and activated activated and activated a	unknown measurements in right and non-right triangles (e.g., surveying problems, resultant forces).															
Activated and experimental grain and activated activated and activated a	Circles															
Total part a form of a standard per many a combat agree of the com	Understand and apply theorems about circles															
And de Controlle And Controlle																
the design and an electric control of the control o	Include the relationship between central, inscribed, and circumscribed															
special degree of the process of the	circle is perpendicular to the tangent where the radius intersects the circle.															
Columnia required for the region of the first price	Construct the inscribed and circumscribed circles of a triangle, and prove proporties of angles for a quadrilateral inscribed in a circle.															
Times many angular place that the first has been and read to the stage of the first has been and read to the stage of the first has been and the stage of the s	(+) Construct a tangent line from a point outside a given circle to the circle.															
place in procession and an other actions and affection for the control of procession and action	Find arc lengths and areas of sectors of circles															
the created in graphical properties with Equations providing Equation for Properties With Equations provided Equation for Properties With Equations providing Equation for Properties With Equations provided Equation Equation for Properties With Equations providing Equation for Properties With Equations providing Equation for Properties With Equations provided Equation Equation provided Equation Equation provided Equation Equatio	angle is proportional to the radius, and define the radian measure of the angle															
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de general per a securità de la persola di general de la persola del persola de la persola de la persola del persola de la persola de la persola del persola de la persola del persola de la persola d	Derive the equation of a circle of given center and radius using the															
(c) Derive the equations of dilpuses and specification in the continues of the equation of the continues of the equation of the continues of the equation of t	circle given by an equation.															
The contribution to prove simple presents, therems algebraically. The contribution to prove simple presents, therems algebraically. For any particularly and present provided an	 Derive the equation of a parabola given a focus and directrix. (+) Derive the equations of ellipses and hyperbolas given the foci, using the 															
the conditates to prove simple geometric theorems algebraically. For a manage, prove or affigure that far goar affect they for agric way point in the ordinate plane in a rectangle, prove or affigure that they goard (1, ½) lare the circle centered and the origin and containing the point (0, ½). Through the deep criteria for parallel and perpendicular lines and use them to be geometric problems or a line postular of a line postular for a present parallel problem. The postular lines and use them to be geometric problems or given points. The late point on a facility or given points that the postular lines and use them to given points that the conditions to expense in a given point. The late point on a facility problems and mass of triangles for treatments, or a, using the distance formula.* The late of the same problems of the circumference of a feet, are and a circle, when and use them to so they problems for the circumference of a feet, are and a circle, when and an other. He is not be grademas for the circumference of a feet, are and a circle, when and und come. Use a feet and a feet man to so the grademas for the formulas for the circumference of a feet, are and a circle, when and und come. Use a feet of the circumference of a feet, are and a circle, when and und come. Use a feet of the formula for the formulas for the circumference of a feet, are and a circle, when and und come. Use the formula for the formulas for the formulas for the formula formula arguments. (4) (4) (6) form a informal argument using Caularly is principle, and informula intergraments. The coverage of the point of the formulas for the formulas for the formulas formulas and the coverage of the formulas for the formulas formulas and the coverage of the formulas formulas and the formulas for the formulas formulas and the formulas formu	fact that the sum or difference of distances from the foci is constant.															
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Commence of the standards for		20.15		20.15				D. C. L.		20.16				20-11		20.16
Common Core State Standards for Mathematics	Unit 1	Math Practices	Unit 2	Math Practices	Unit 3	Math Practices	Unit 4	Math Practices	Unit 5	Math Practices	Unit 6	Math Practices	Unit 7	Math Practices	Unit 8	Math Practic
Wathematics	Oille 1	Tractices	OIIIC Z	Tractices	Oint 3	Tractices	OIIIC 4	Tractices	Oint 3	Tractices	Onico	Tractices	Oint 7	Tractices	Onico	Tractice
Visualize relationships between two-dimensional and three-dimensional objects									5.1 (Sketching, modeling, and technical drawings related to							
 Identify the shapes of two-dimensional cross-sections of three-dimensional objects, and identify three-dimensional objects generated by rotations of two- 									project solution)							
dimensional objects.																
Modeling with Geometry Apply geometric concepts in modeling situations									5.4 (C) . 11 . 1 . 1 . 1							
1. Use geometric shapes, their measures, and their properties to describe objects									5.1 (Sketching, modeling, and technical drawings related to							
(e.g., modeling a tree trunk or a human torso as a cylinder).*									project solution)							
 Apply concepts of density based on area and volume in modeling situations (e.g., persons per square mile, BTUs per cubic foot).* 																
 Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy physical constraints or minimize cost; working with 																
typographic grid systems based on ratios).*																
STATISTICS & PROBABILITY	Unit 1		Unit 2		Unit 3		Unit 4		Unit 4		Unit 4		Unit 4		Unit 4	
Interpreting Categorical & Quantitative Data Summarize, represent, and interpret data on a single count or																
summarize, represent, and interpret data on a single count or measurement variable 1. Represent data with plots on the real number line (dot plots, histograms, and																
Represent data with piots on the real number line (dot piots, nistograms, and box plots). Use statistics appropriate to the shape of the data distribution to compare																
center (median, mean) and spread (interquartile range, standard deviation) of																
two or more different data sets. 3. Interpret differences in shape, center, and spread in the context of the data sets, accounting for possible effects of extreme data points (outliers).																
4. Use the mean and standard deviation of a data set to fit it to a normal																
distribution and to estimate population percentages. Recognize that there are																
data sets for which such a procedure is not appropriate. Use calculators, spreadsheets, and tables to estimate areas under the normal curve.																
Summarize, represent, and interpret data on two categorical and																
quantitative variables 5. Summarize categorical data for two categories in two-way frequency tables. Interpret relative frequencies in the context of the data (including joint,																
marginal, and conditional relative frequencies). Recognize possible associations and trends in the data.																
associations and trends in the data. 6. Represent data on two quantitative variables on a scatter plot, and describe how the variables are related.																
a. Fit a function to the data; use functions fitted to data to solve problems in the context of the data. Use																
given functions or choose a function suggested by the context. Emphasize linear, quadratic, and exponential																
context. Embhasize linear. ouadranc. and exponential b. Informally assess the fit of a function by plotting and analyzing residuals.																
c. Fit a linear function for a scatter plot that suggests a linear association.																
Interpret linear models 7. Interpret the slope (rate of change) and the intercept (constant term) of a																
linear model in the context of the data. 8. Compute (using technology) and interpret the correlation coefficient of a																
linear fit. 9. Distinguish between correlation and causation.																
Making Inferences & Justifying Conclusions																
Understand and evaluate random processes underlying statistical experiments																
Understand statistics as a process for making inferences about population parameters based on a random sample from that population.																
Decide if a specified model is consistent with results from a given data-																
generating process, e.g., using simulation. For example, a model says a spinning coin falls heads up with probability 0.5. Would a result of 5 tails in																
a row cause you to question the model?																
Make inferences and justify conclusions from sample surveys, experiments, and observational studies													7.2 (Test & Evaluate Prototype)			
Recognize the purposes of and differences among sample surveys, experiments, and observational studies; explain how randomization relates to																
each. 4. Use data from a sample survey to estimate a population mean or proportion;																
develop a margin of error through the use of simulation models for random sampling.																
Use data from a randomized experiment to compare two treatments; use simulations to decide if differences between parameters are significant.																
Evaluate reports based on data.																
Conditional Probability & the Rules of Probability																
Understand independence and conditional probability and use them to interpret data 1. Describe events as subsets of a sample space (the set of outcomes) using																
characteristics (or categories) of the outcomes, or as unions, intersections, or																
complements of other events ("or," "and," "not"). 2. Understand that two events A and B are independent if the probability of A																
and B occurring together is the product of their probabilities, and use this																
characterization to determine if they are independent.		1							1				ĺ			1



Common Core State Standards for		Math		Mat												
Mathematics	Unit 1	Practices	Unit 2	Practices	Unit 3	Practices	Unit 4	Practices	Unit 5	Practices	Unit 6	Practices	Unit 7	Practices	Unit 8	Practi
Understand the conditional probability of A given B as $P(A$ and $B)P(B)$, di interpret independence of A and B as saying that the conditional obability of A given B is the same as the probability of A , and the inditional probability of B given A is the same as the probability of B .																
. Construct and interpret two-way frequency tables of data when two attegories are associated with each object being classified. Use the two-way attegories are associated with each object being classified. Use the two-way labe as a sample space to decide if events are independent and to approximate onditional probabilities. For example, collect data from a rundom sample of induction in your school on their favories subject among maths, science, and raglish. Estimate the probability that a rundomly selected student from our school will favor science given that the student is in tenth grade. Do be same for other subjects and compare the results.																
Recognize and explain the concepts of conditional probability and dependence in everyday language and everyday situations. For example, mapare the chance of having lung cancer if you are a smoker with the sance of beine a smoker if you have lune cancer.																
se the rules of probability to compute probabilities of compound events a uniform probability model Find the conditional probability of A given B as the fraction of B's																
intenses that also belong to A , and interpret the answer in terms of the model. Apply the Addition Rule, $P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$, and terpret the answer in terms of the model. (+) Apply the general Multiplication Rule in a uniform probability model, A(A ond B) = RAP(B(BA) - P(B)P(RAB)), and interpret the answer in terms of																
e model. (+) Use permutations and combinations to compute probabilities of impound events and solve problems.																
sing Probability to Make Decisions																
calculate expected values and use them to solve problems (i-) Define a random variable for a quantity of interest by assigning a umerical value to each event in a sample space; graph the corresponding robability distribution using the same graphical displays as for data istributions. (i-) Calculate the expected value of a random variable; interpret it as the nean of the probability distribution. (i-) Develop a probability distribution for a random variable defined for a sumple space in which theoretical probabilities are not ecalculated; find the spected value. For example, find the theoretical probability distribution for multiple-choice test where each question has four choices, and find the spected systale under various grading schemes. (i-) Develop a probability distribution for a random variable defined for a sumple space in which probabilities are assigned empirically; find the expected and the row example, find a current data distribution on the number of TV																
ets per household in the United States, and calculate the expected number (sets per household. How many TV sets would you expect to find in 100 andomly selected households?																
ise probability to evaluate outcomes of decisions (-i) Weigh the possible outcomes of a decision by assigning probabilities to avoff values and finding expected values. a. Find the expected payoff for a game of chance. For example, find the expected winnings from a state honery ficket or a game at a fast-food b. Evaluate and compare strategies on the basis of expected values. For example, compare a high- deductible versus a low-deductible automobile insurance policy using various, but reasonable, chances of havin a minor or a minor accident. (-i) Use probabilities to make fair decisions (e.g., drawing by lots, using a andom number generator).																
. (+) Analyze decisions and strategies using probability concepts (e.g., product sting, medical testing, pulling a hockey goalie at the end of a game).																